

2<sup>nd</sup> class Part I

Here's 101 review.

Causality

Settle down:

1. We're in this together
2. We're using exactly the same syllabus ~~set~~ problem sets as forever
3. stata
4. Friday Am 11-12?

The causal effect of treatment  $T$  (e.g. attending 1st year start, \$5K increase in family income) for individual  $i$  on outcome  $Y$ :

is the difference between  $Y_i$  in the presence and absence of the treatment

George Bailey

Note causality is individual specific and never observed

[pre-post doesn't work]

Nothing, not even random assignment, can prove causality for individual  $i$

Huh? RA approximates causality for groups of individuals

which, for many purposes, is just fine

Why we focus on causal analysis

- policy recommendations

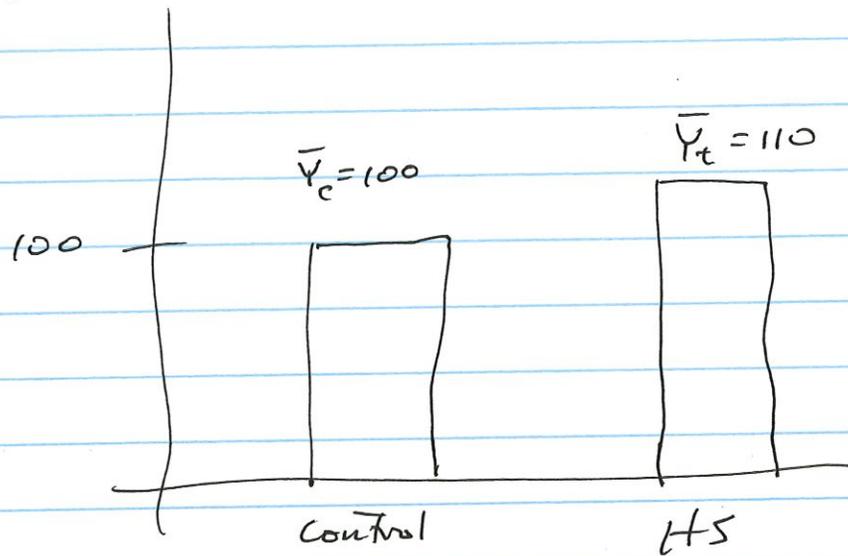
2<sup>nd</sup> class

Every regression is an experiment

Suppose group-based causation is fine and we have an experiment in which

100 ~~100~~ kids assigned to HS from a waitlist  
100 ~~100~~ kids not give slots in HS

Track kids for the year and administer a cognitive test with mean = 100 and sd = 15



"effect" is 10 units =  $\frac{2}{3}$  of a sd.

is this significant? Do t-test on difference in means.

$t = 10.54$   $p < .0001$

$t = -4.7$   $p < .0001$

OR run a regression  $Y = a + b_1 T$

where  $T = 1$  if child is in treatment group

$T = 0$  if not

2<sup>nd</sup> class

what will be the effects of  $a = 100$   
and  $b_1 = 10$

$$Y = 100 + 10T$$

you will also get (2.1) ~~(2.1)~~  
standard error in the coefft.

coefft/s.e. gives you a t test which  
is exactly the same as the t test for differ-  
ence in means.

$$\frac{10}{2.1} = 4.7$$

WIT~~H~~ BOTHER?

Because a regression framework allows you to  
do a lot more

1. Adjust for imbalance. If, say, luck of the  
draws differs give you more low income  
kids in the HS group than controls,

run  $Y = a + b_1 T + b_2 \text{ Family Income}$

2. Reduce S.E.'s and get more statistical power

$$S.e. = \sqrt{\frac{\sigma^2}{\sum (x_i - \bar{x})^2}}$$

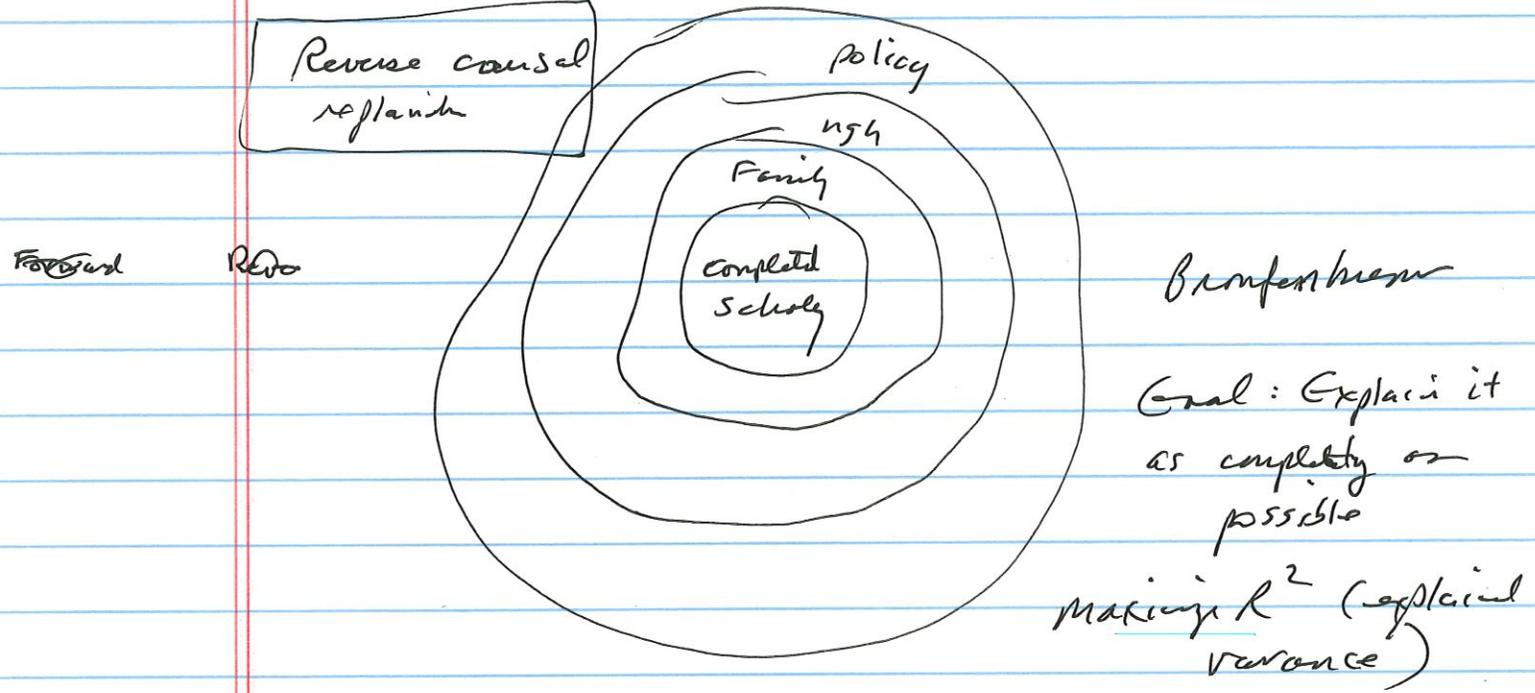
residual sum of squares  
(kind of  $1 - R^2$ )  
or unexplained variance in Y

Blockout groups  
Suppose two  
treatment groups  
& control:  
What regression  
gives you  $T_1$  vs  $C$ ?  
 $T_2$  vs  $C$ ?  
 $T_1$  vs  $T_2$ ?



Week 2

How to model Child Ed?



Worthing, but all but worthless for policy  
 Knowing that family "action" is most important doesn't  
 tell you ~~that~~ whether family-related policies  
 will help

Forward causal inference approach ← our focus

$$\text{Child Ed} = a + b_1 \text{ Family Income} + b_2 \text{ Controls}$$

Q: Can we make  $b_1$  into an estimate of the causal effect of Family Income on Child Ed?

Forward Causal Inference

Economists, policy analysts  
economists

Manipulate X to see its  
effect on Y

- explicitly
- quasi-experimentally

$R^2$  doesn't matter

Most coefficients are completely  
uninteresting

Testing hypotheses

Reverse Causal Explanation

Non-experimental  
Psychologist, most  
social sciences, most  
epidemiologist

Explain Y as  
completely as possible  
with many X's

$R^2$  is important

most coefficients are interesting

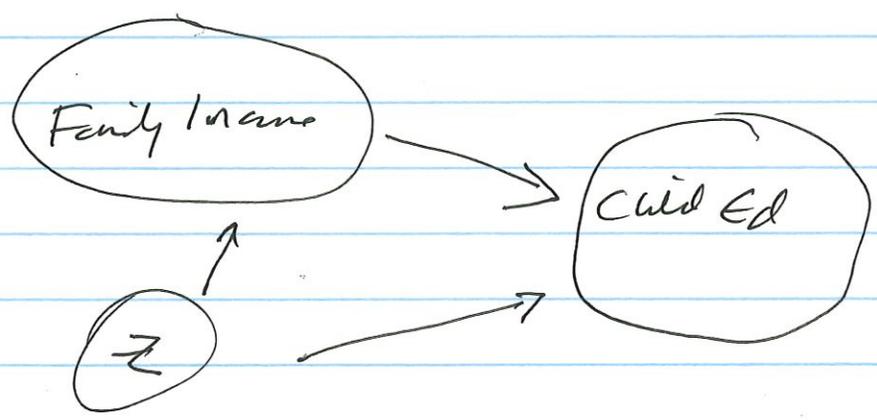
Generating hypotheses

No policy conclusions  
allowed!

# Week 2

What is the problem?

In observational data



more formally

$$Child\ Ed = a + b_1 Family\ Income + e_i$$

$b_1$  is unbiased if Family Income is uncorrelated with the error term  $e_i$ .

But if Z, then

$$Child\ Ed = a + b_1 Family\ Income + \underbrace{(b_2 Z + e_i)}_{e_i}$$

If your data includes Z explicitly and therefore control for it, then Family Income is correlated with  $e_i$ .

Week 2

-8-  
1/17

What to do?

1. Randomly assign Family Income
2. Load up the regression equation with lots of  $Z$ 's
3. Adopt a "quasi-experimental" approach.

For example

① Akee Casino revenue for Cherokee Indians  
+ Great Smoky Mountains study.  $\left[ \begin{array}{l} \text{Age 19} = a + b_1 \text{ Age 9} \\ + b_2 \# \text{ of Parents} \end{array} \right]$   
Age 9 measurement  $\rightarrow$  Casino comes in  $\rightarrow$  Age 19/21 outcome

② Dahl + Lochner EITC expansion with two  
generations for 2<sup>+</sup> children families  
than 1 child families.

$$\Delta \text{Ach} = a + b_1 \text{ 2}^+ \text{ child}^{(1,0)}$$

pre-post

Herzog Henß